

Dust properties of nearby galaxies from the JINGLE survey derived using a hierarchical Bayesian approach



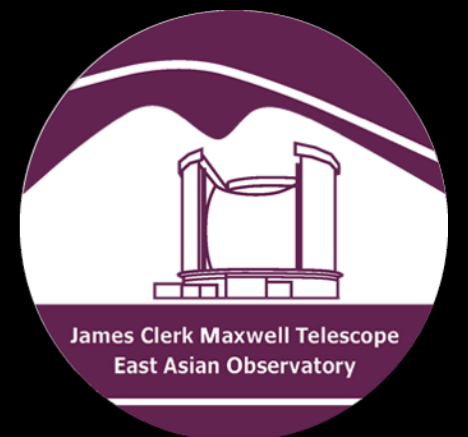
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(University College London),

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Mark Sargent, Ting Xiao, Ho Seong Hwang, Lihwai Lin,
Martin Bureau, Elias Brinks, David Clements
and the JINGLE collaboration



Dusting the Universe
4-8 March 2019



Dust properties of galaxies

QUESTIONS

- > how do dust properties vary across the galaxy population?
- > dust scaling relations: do dust properties correlate with other galaxy properties?
- > how do dust properties in galaxies evolve across cosmic time?

In order to answer these questions we need :

SAMPLE

Large sample of galaxies with:

- consistent FIR/sub-mm photometric data
- consistent information about galaxy properties: SFR, stellar masses, gas content (atomic and molecular)

METHOD

Reliable method to measure dust properties:

- dust models suffers from degeneracy between parameters (e.g. T-beta degeneracy)

JINGLE: JCMT dust and gas In Nearby Galaxies Legacy Exploration

PIs: Saintonge (UK), Wilson (Canada), Xiang (China), Hwang (Korea), Lin (Taiwan)

**JCMT:
James Clerk
Maxwell Telescope**

JINGLE: JCMT dust and gas In Nearby Galaxies Legacy Exploration

Survey objectives

- study the **dust-to-gas ratio** and its variations across the galaxy population.
- derive **scaling relations** between dust properties and global galaxy observables.
- benchmark relations that can be used to infer dust and gas masses for large samples of **high-redshift** galaxies.

JINGLE: sample overview

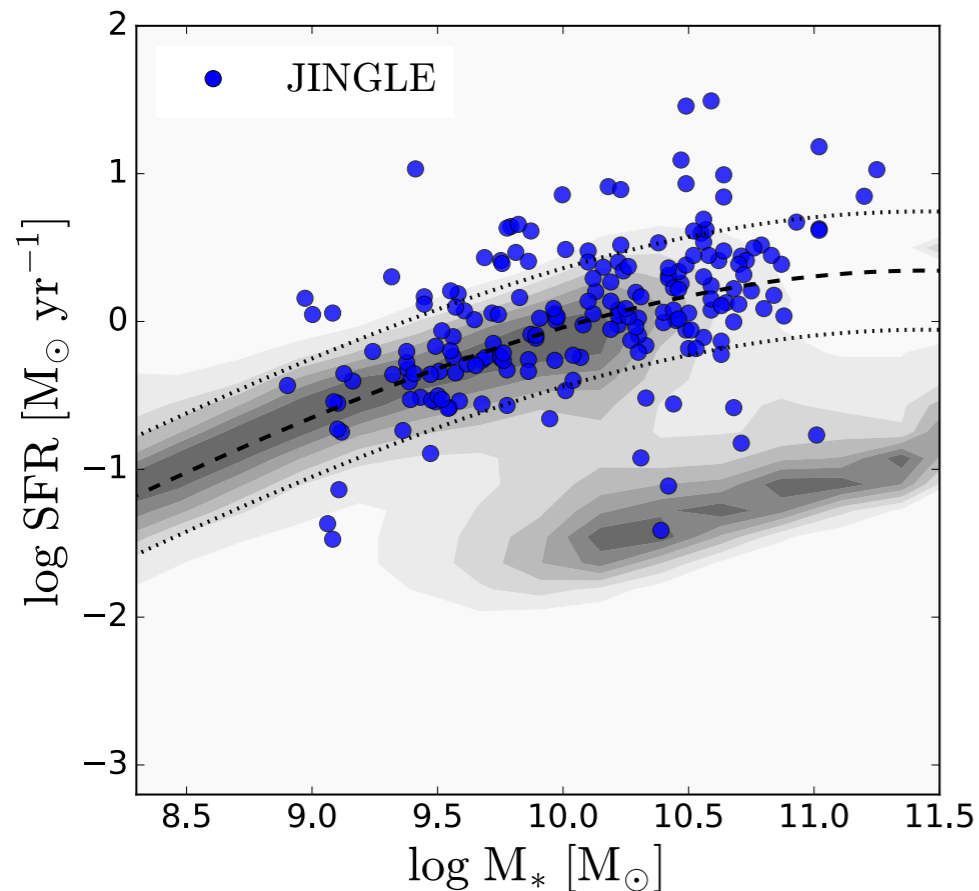
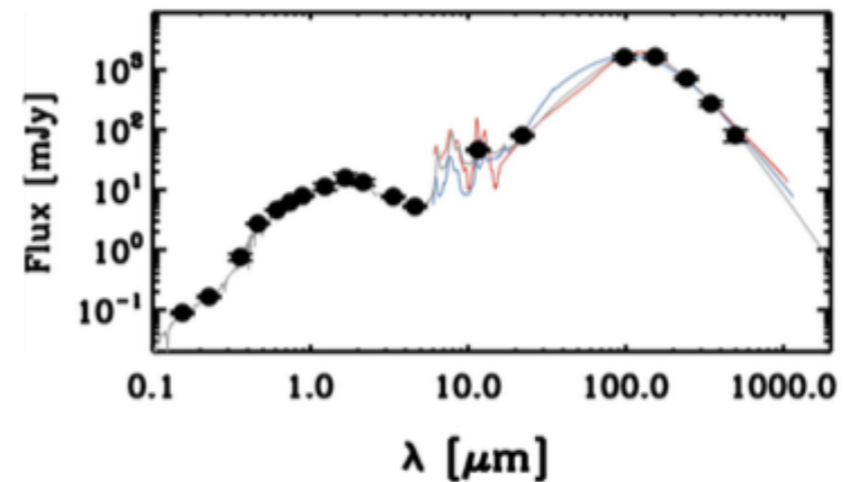
~200 nearby galaxies

Redshift range: $0.01 < z < 0.05$

Multi-wavelength data:

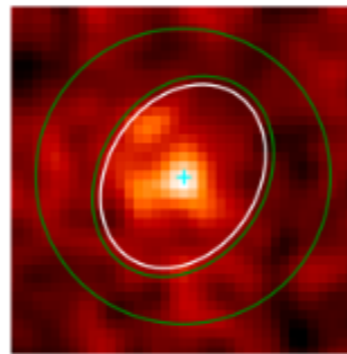
- photometry: GALEX/SDSS/WISE/Herschel (H-ATLAS)
- optical IFU maps: MANGA/SAMI
- HI maps: Apertif/ASKAP

multi-wavelength



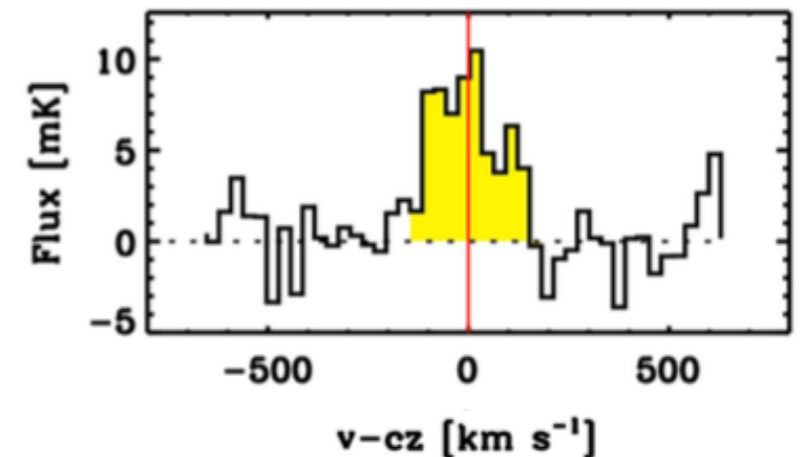
Dust

850 μm continuum
(SCUBA-2
instrument)
193 galaxies



Molecular gas

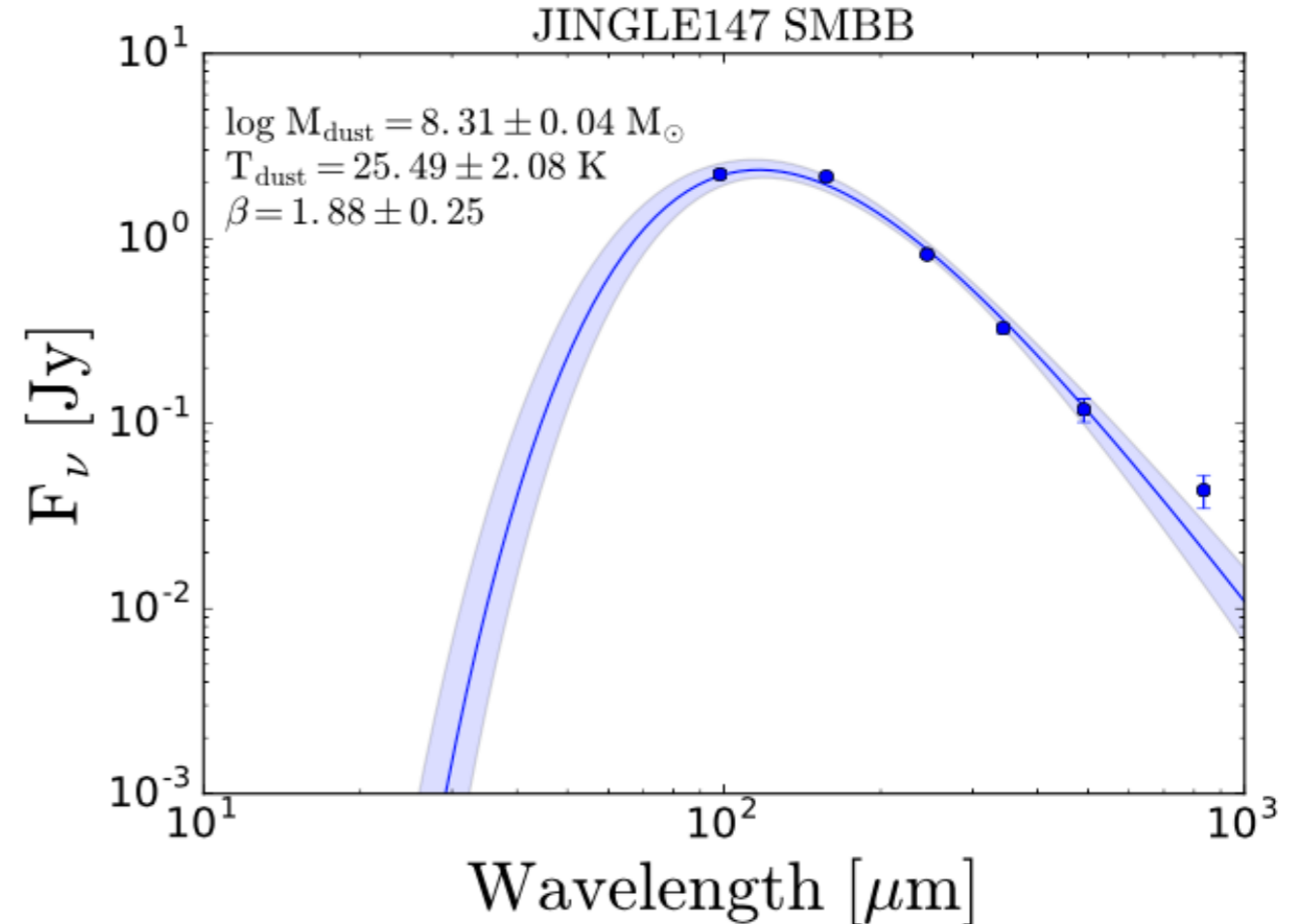
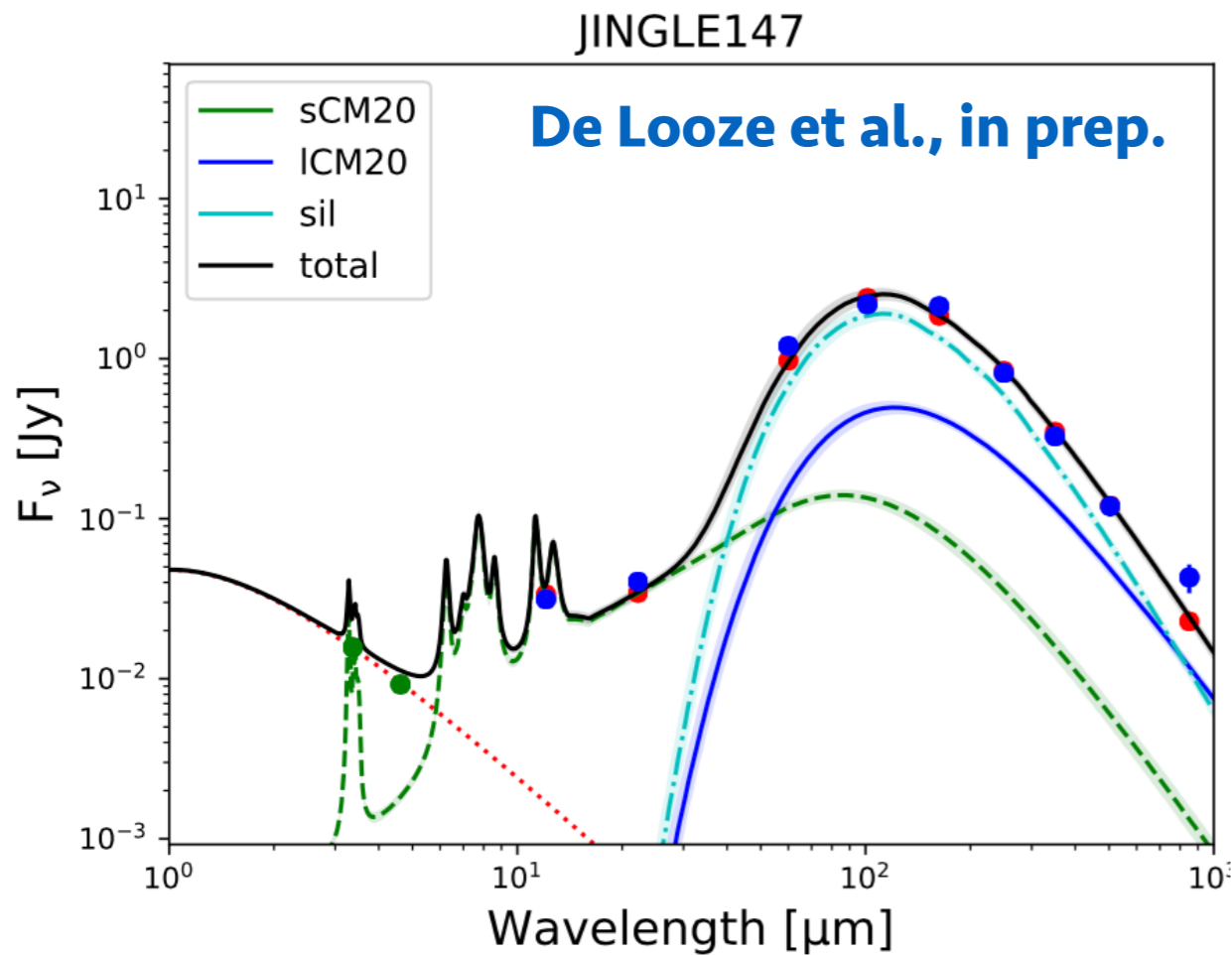
CO(2-1) line
(RxA instrument)
90 galaxies



Two methods to measure the dust masses

THEMIS models
physically motivated dust models

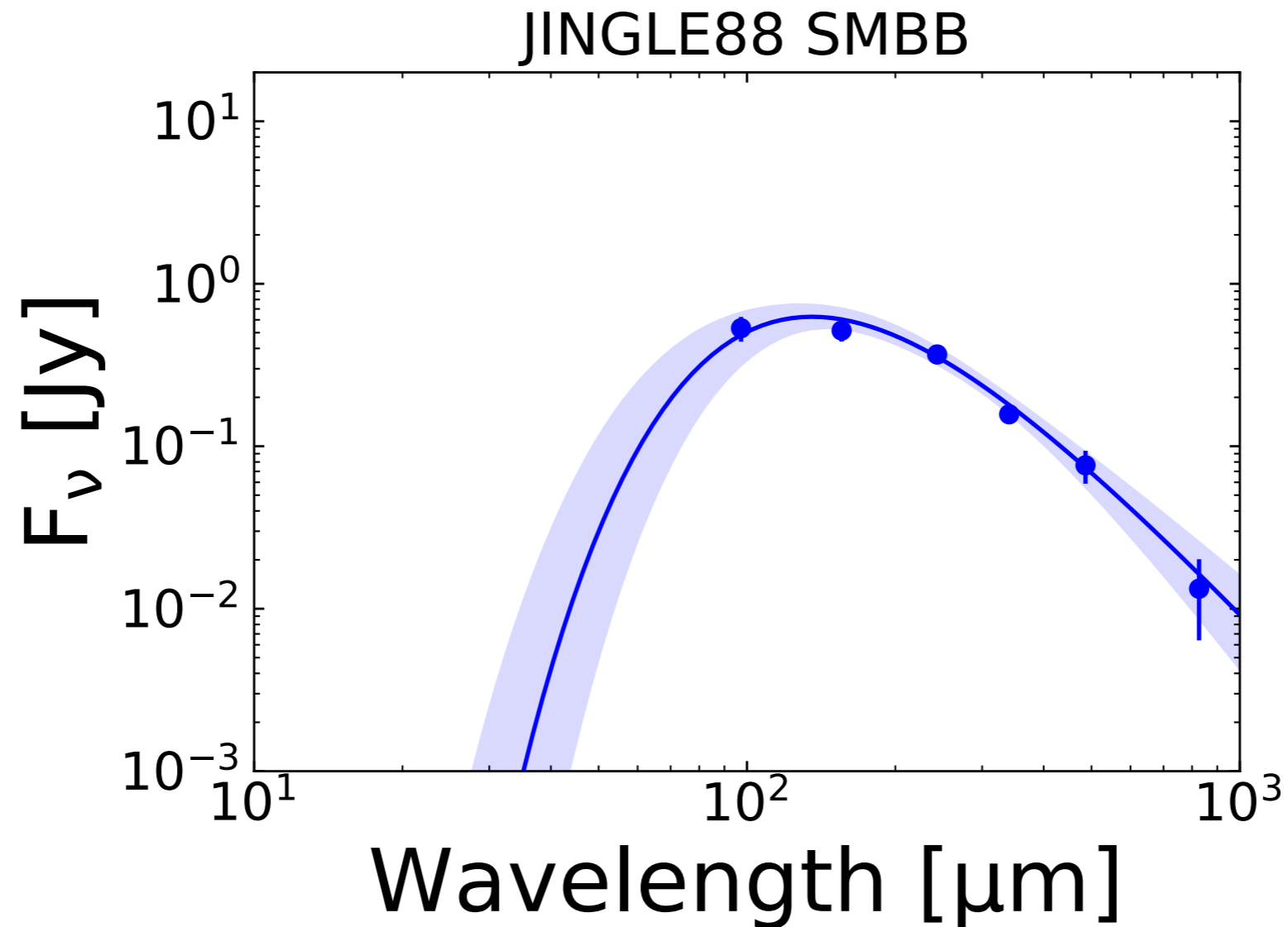
MBB: modified black-body
analytical functions



work by **Ilse De Looze**
(UGent/UCL postdoc)

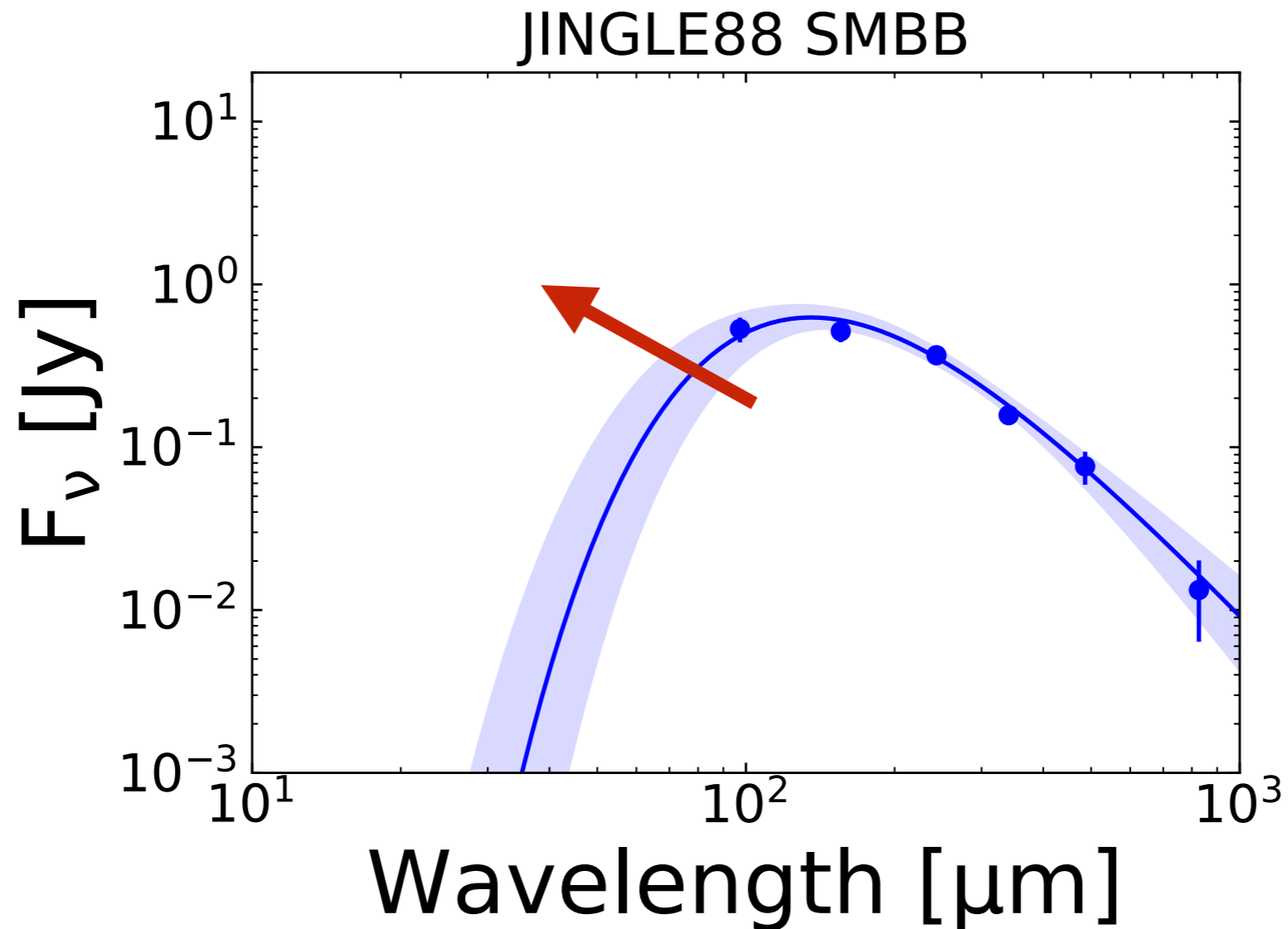
Single modified black-body (SMBB) model

$$F_{\lambda}(M_{\text{dust}}, T_{\text{dust}}, \beta) = \frac{M_{\text{dust}}}{D^2} \kappa_0 \left(\frac{\lambda_0}{\lambda} \right)^{\beta} B_{\lambda}(T_{\text{dust}})$$



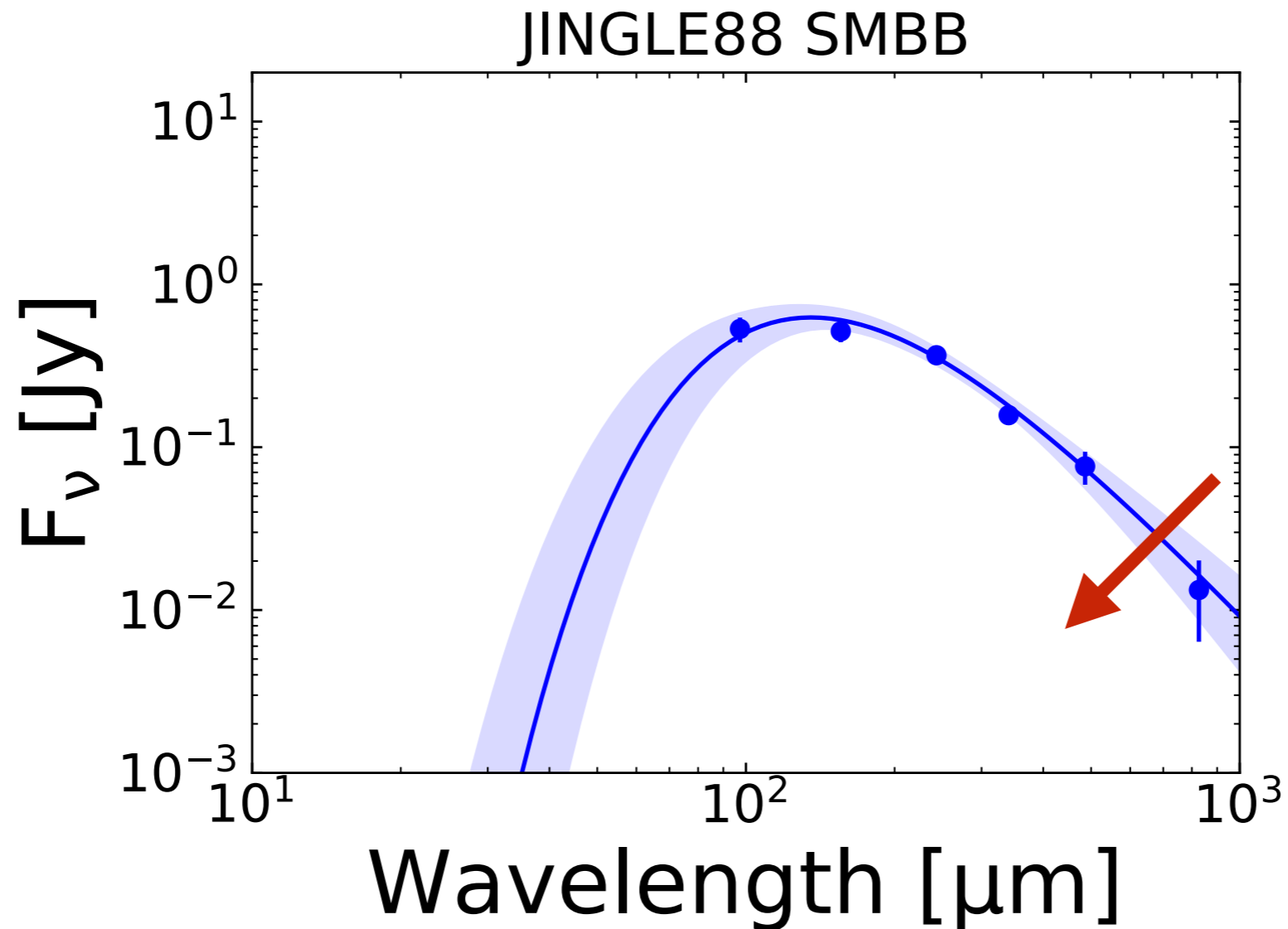
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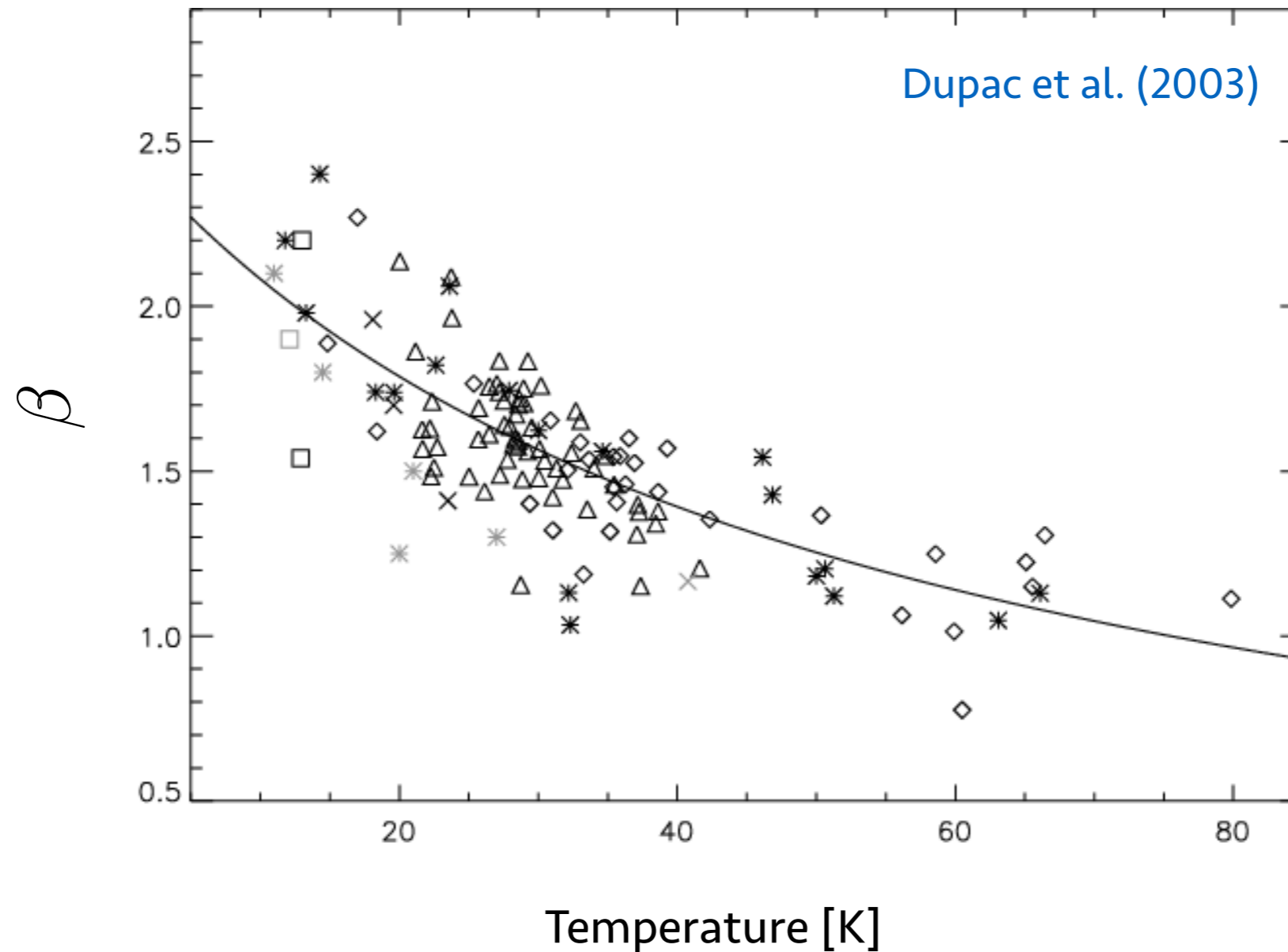


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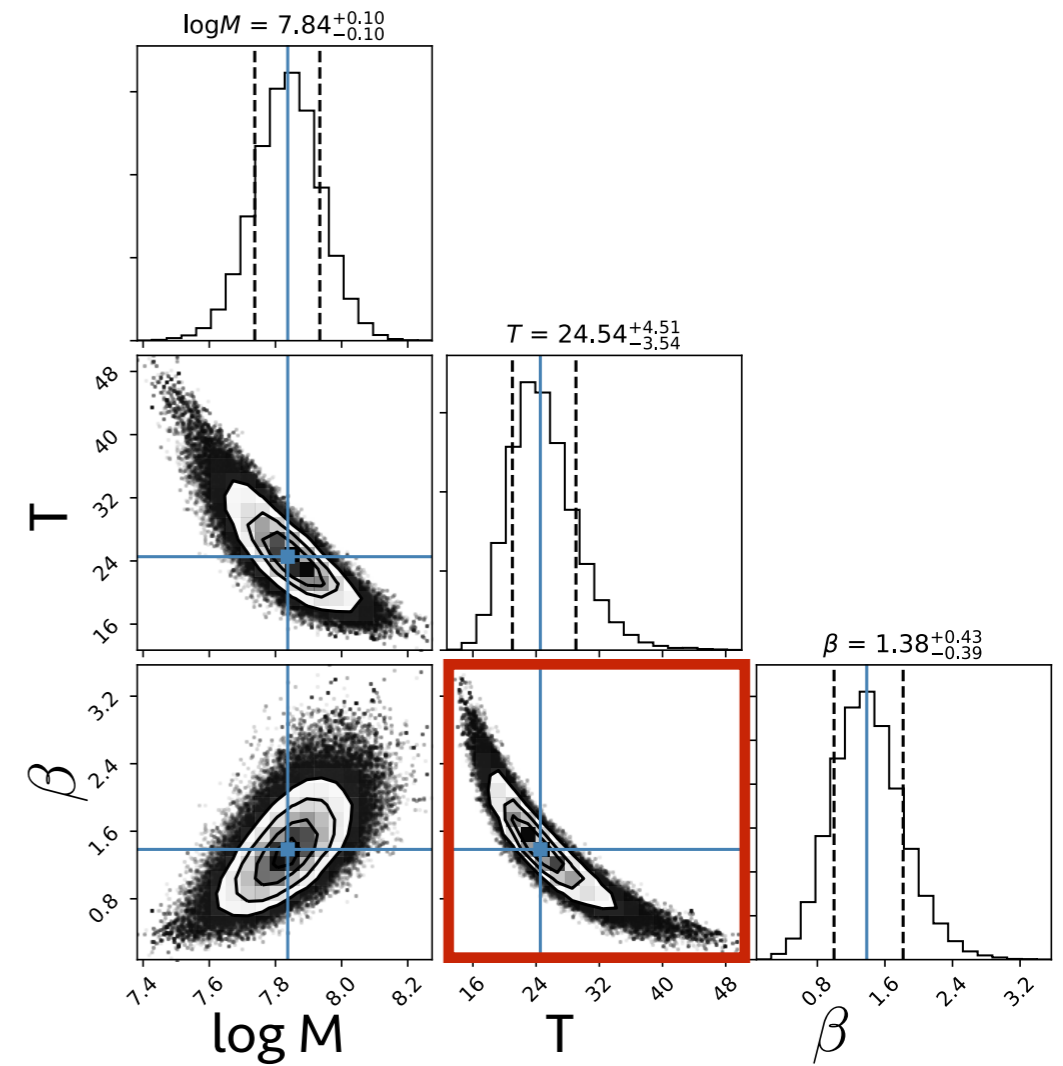
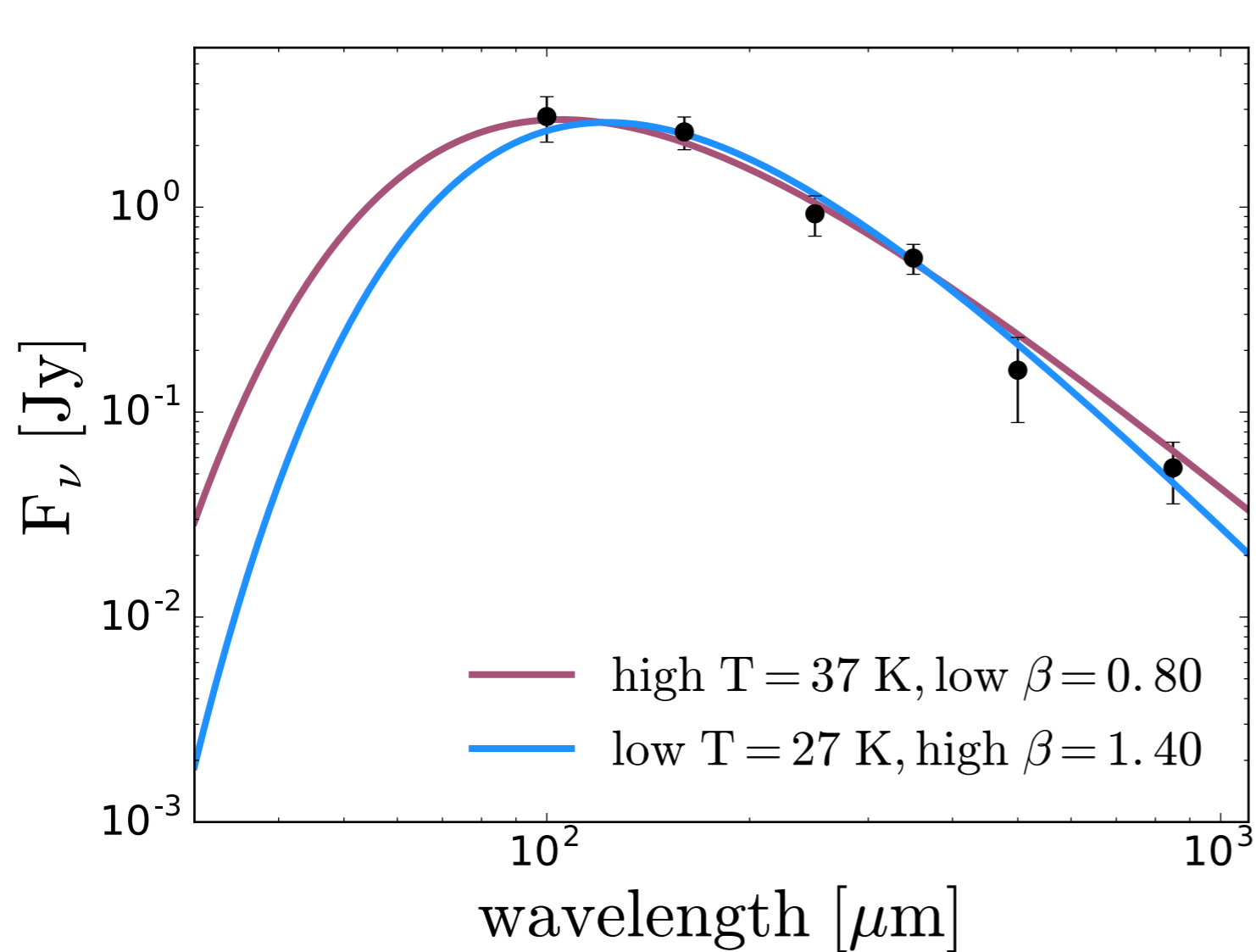


Many studies have observed an anti-correlation between temperature and beta



See also [Désert et al. \(2008\)](#), [Paradis et al. \(2010\)](#), [Baracco et al. \(2011\)](#), [Smith et al. \(2012\)](#)

Intrinsic degeneracy between temperature and beta



- Reference: [Shetty et al. 2009a,b](#)

How to overcome this problem?

[Kelly et al. \(2012\)](#): use the Hierarchical Bayesian approach


see also [Galliano \(2018\)](#)

Non-hierarchical Bayesian method


Bayes' theorem:

$$p(\vec{\theta}_i | \vec{F}_i) \propto p(\vec{F}_i | \vec{\theta}_i) \cdot p(\vec{\theta}_i)$$


posterior
distribution



likelihood



prior



Non-hierarchical

Bayes' theorem:

$$p(\vec{\theta}_i | \vec{F}_i) \propto p(\vec{F}_i | \vec{\theta}_i) \cdot p(\vec{\theta}_i)$$

posterior
distribution

likelihood

prior

prior

$$p(\vec{\theta}_i)$$

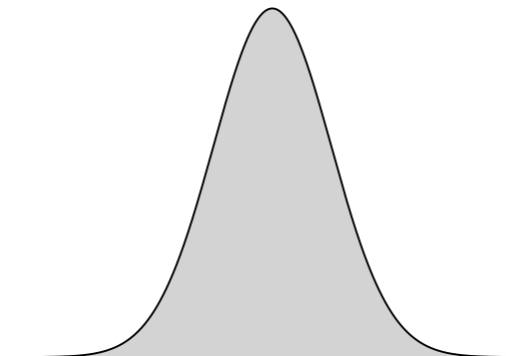


uniform prior



$$p(\vec{F}_i | \vec{\theta}_i)$$

likelihood



Gaussian noise:

$$p(F | \theta, F_{err}) \propto \exp\left(-\frac{1}{2} \left(\frac{F - F_{model}(\theta)}{F_{err}}\right)^2\right)$$

Non-hierarchical

$$p(\vec{\theta}_i | \vec{F}_i) \propto p(\vec{F}_i | \vec{\theta}_i) \cdot p(\vec{\theta}_i)$$

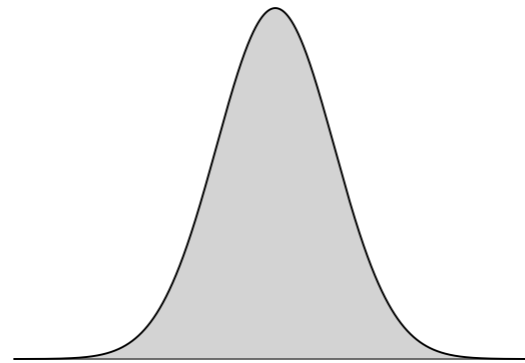
mean

standard
deviation

$$p(\vec{\theta}_i | \vec{\mu}, \Sigma)$$

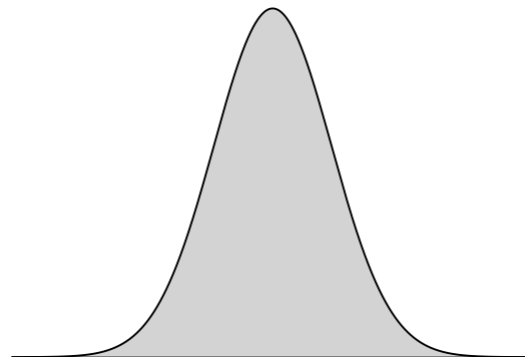
prior

Gaussian prior



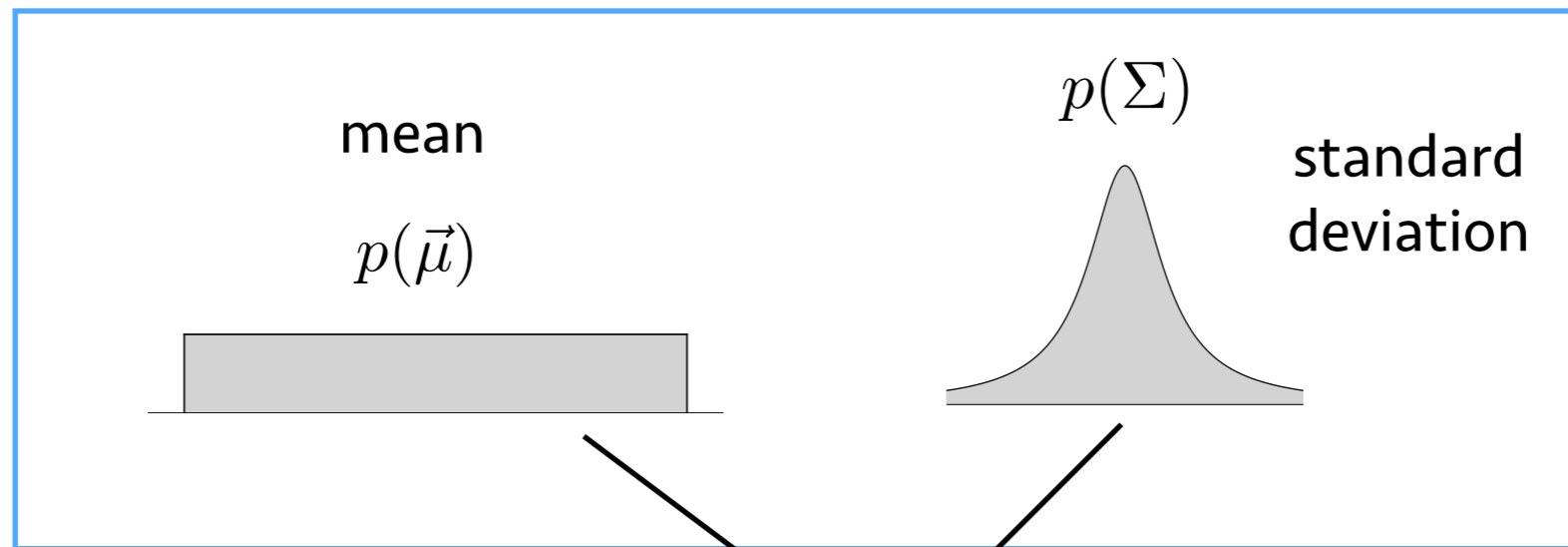
$$p(\vec{F}_i | \vec{\theta}_i)$$

likelihood



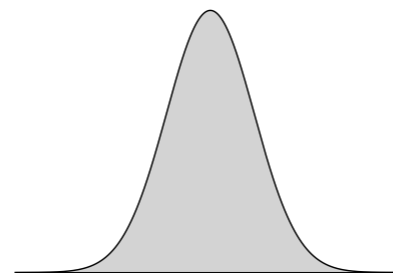
Hierarchical

$$p(\vec{\theta}_1, \dots, \vec{\theta}_n, \vec{\mu}, \Sigma | \vec{F}) \propto \prod_{i=1}^n p(\vec{F}_i | \vec{\theta}_i) \cdot p(\vec{\theta}_i | \vec{\mu}, \Sigma) \cdot p(\vec{\mu}) \cdot p(\Sigma)$$



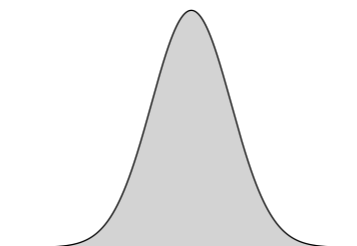
$$p(\vec{\theta}_i | \vec{\mu}, \Sigma)$$

prior



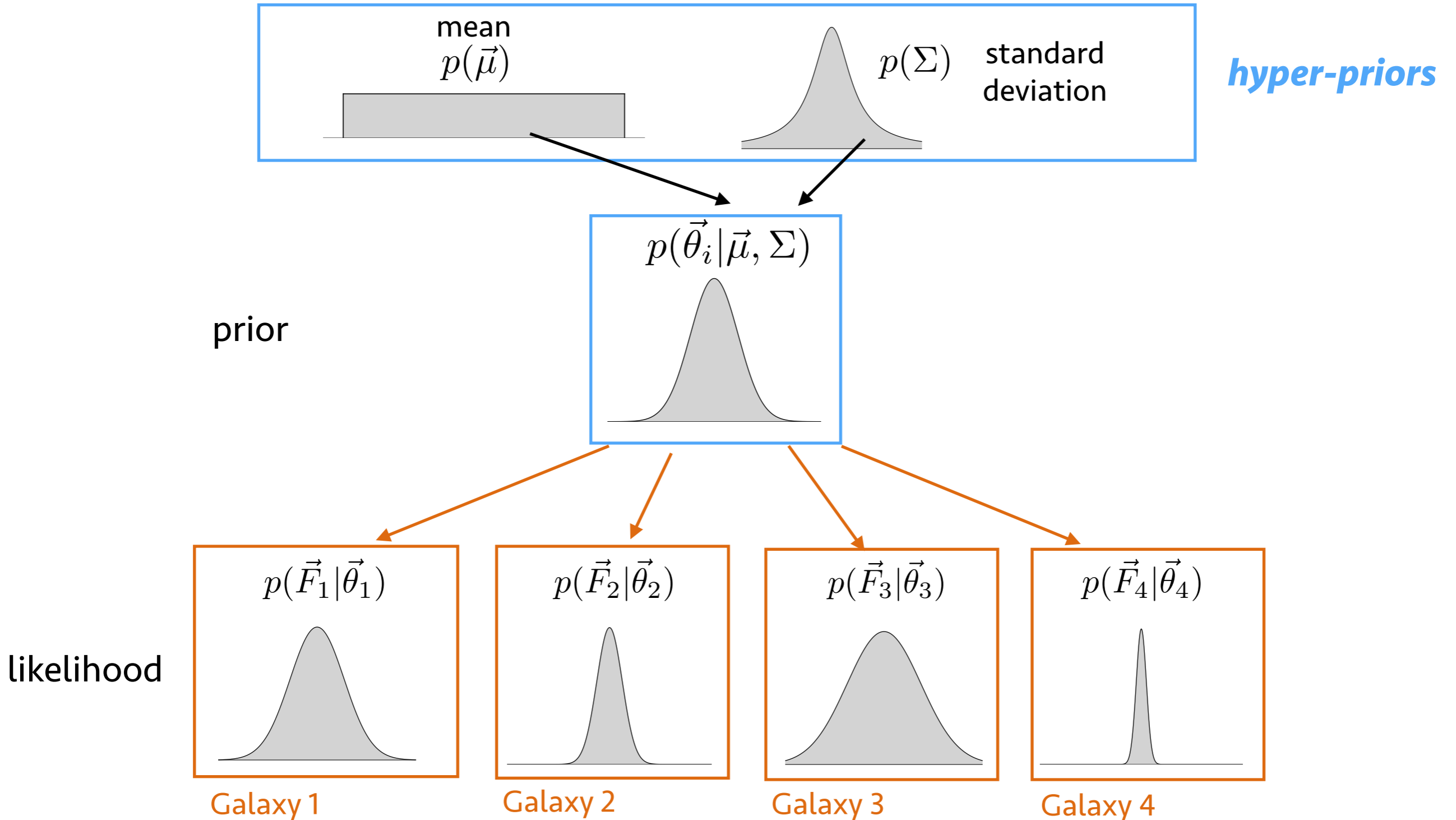
$$p(\vec{F}_i | \vec{\theta}_i)$$

likelihood



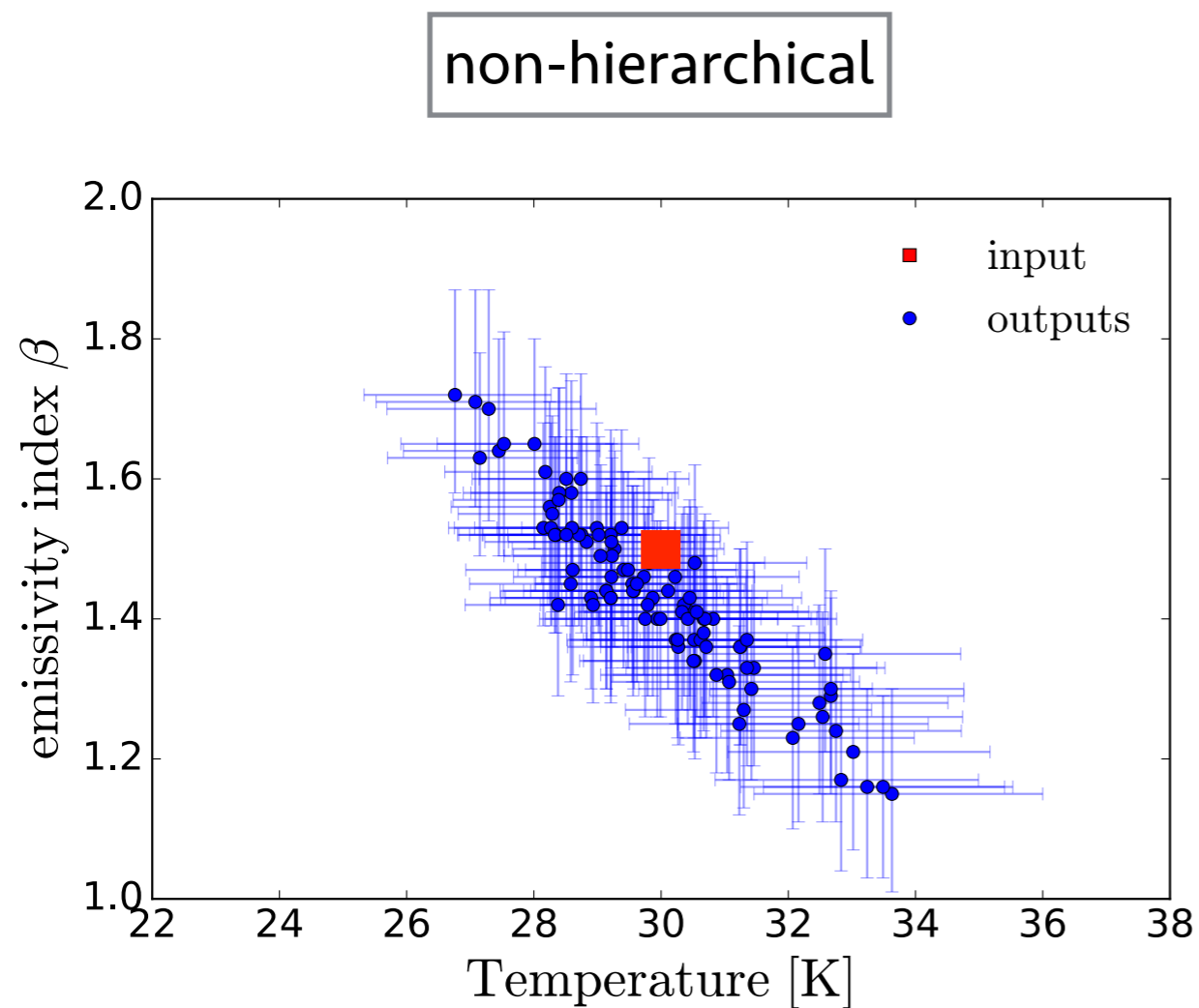
Hierarchical:

$$p(\vec{\theta}_1, \dots, \vec{\theta}_n, \vec{\mu}, \Sigma | \vec{F}) \propto \prod_{i=1}^n p(\vec{F}_i | \vec{\theta}_i) \cdot p(\vec{\theta}_i | \vec{\mu}, \Sigma) \cdot p(\vec{\mu}) \cdot p(\Sigma)$$



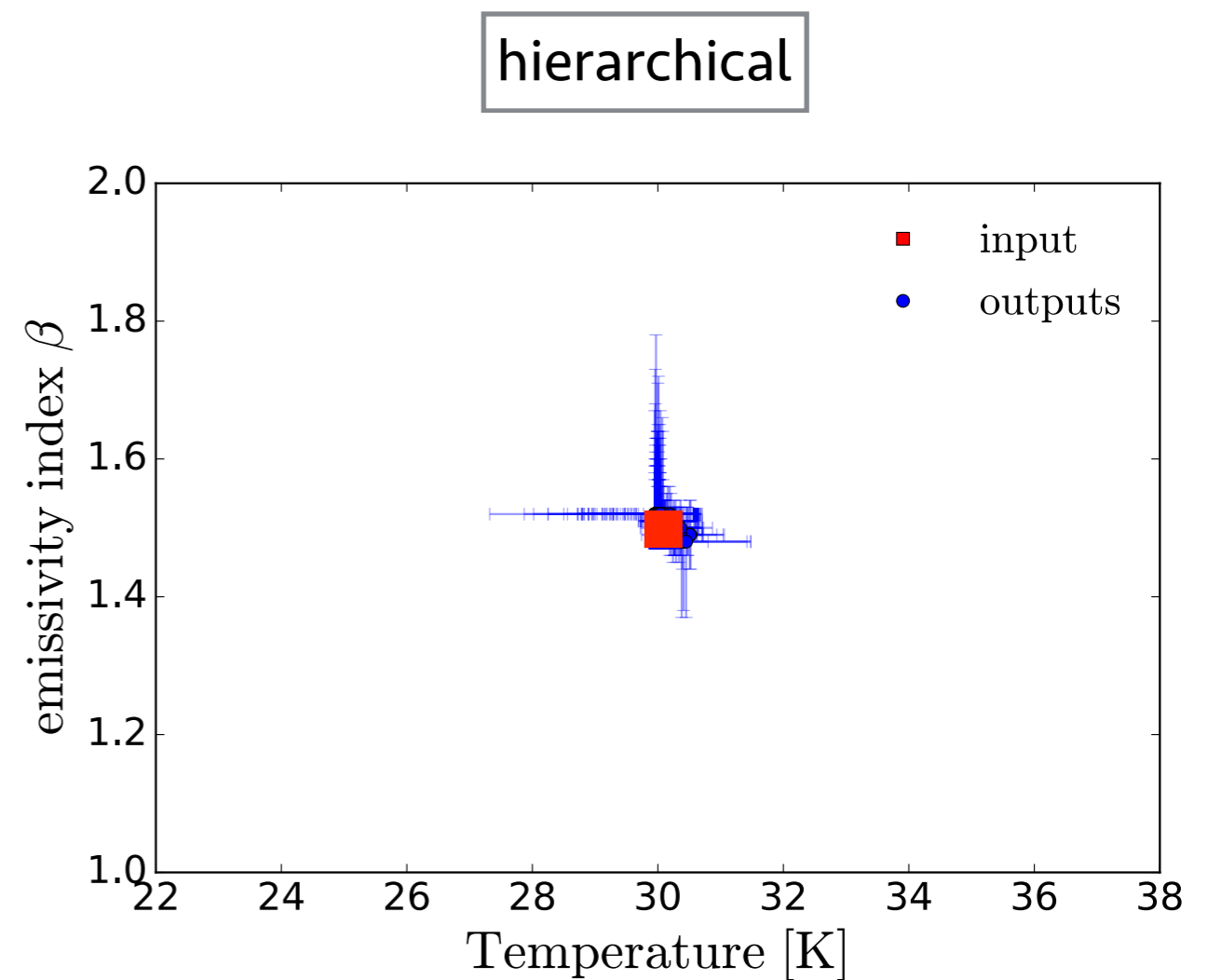
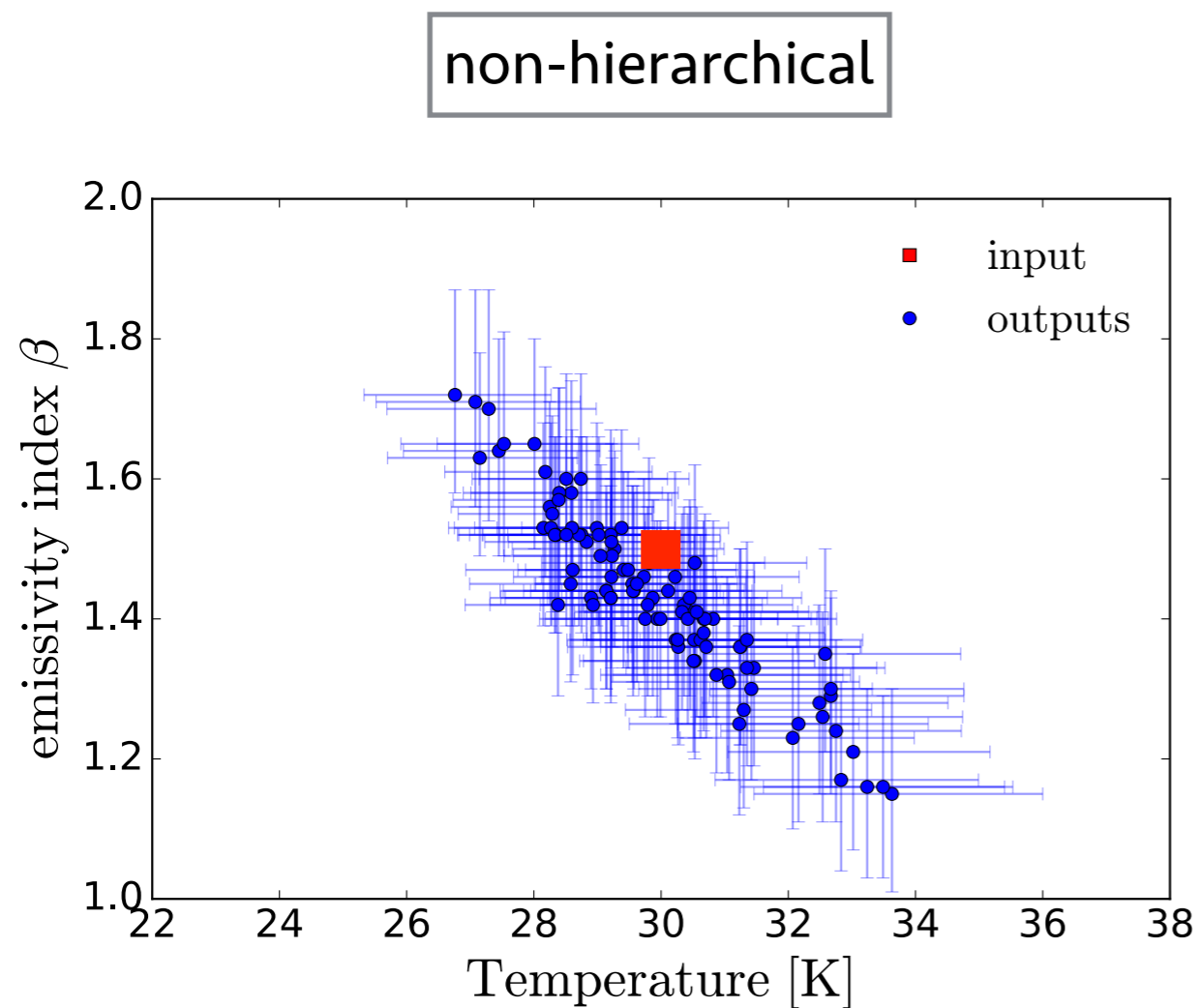
Mock data set: noise in the data can introduce an anti-correlation between the dust temperature and beta

- Simulation of MBB with the same input $T = 30$ K and $\beta = 1.5$, but with some Gaussian noise added to the flux points



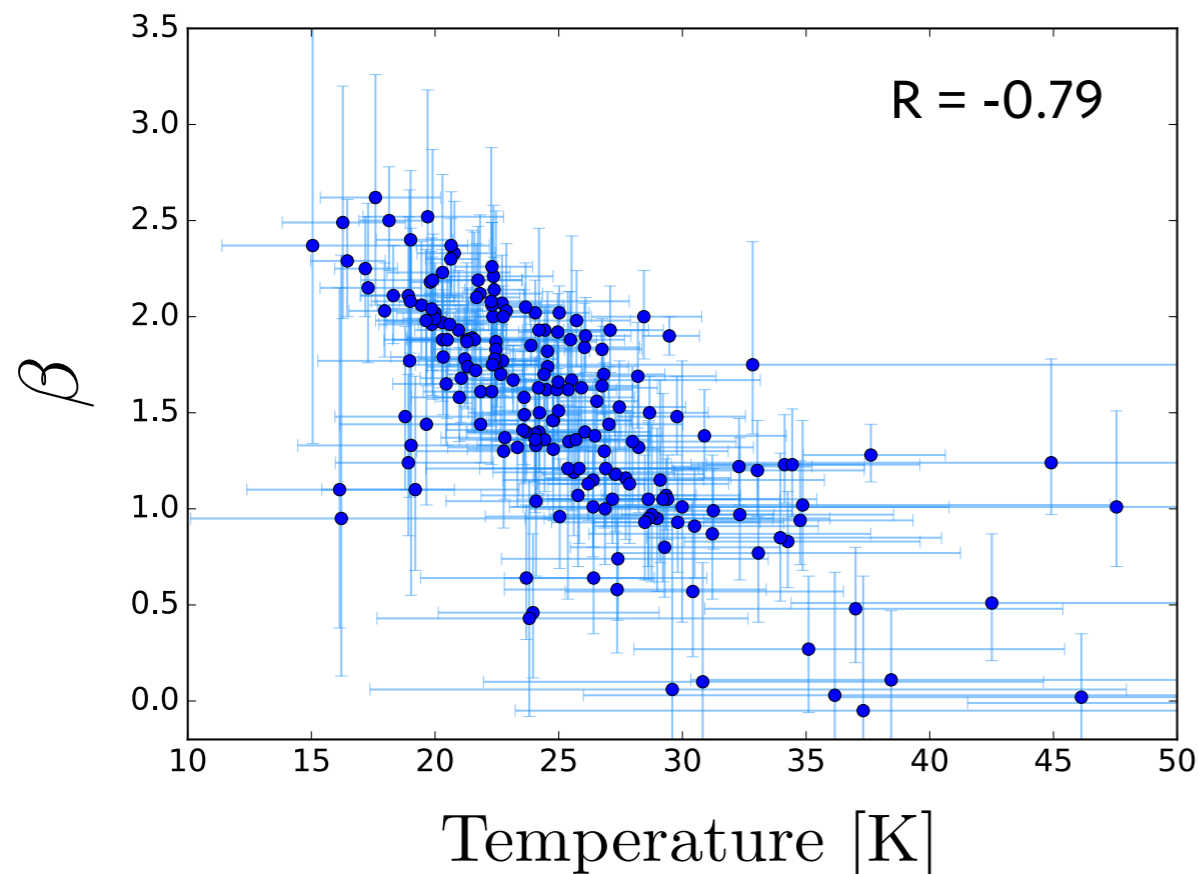
Mock data set: hierarchical approach can recover better the input temperature and beta

- Simulation of MBB with the same input $T = 30$ K and $\beta = 1.5$, but with some Gaussian noise added to the flux points

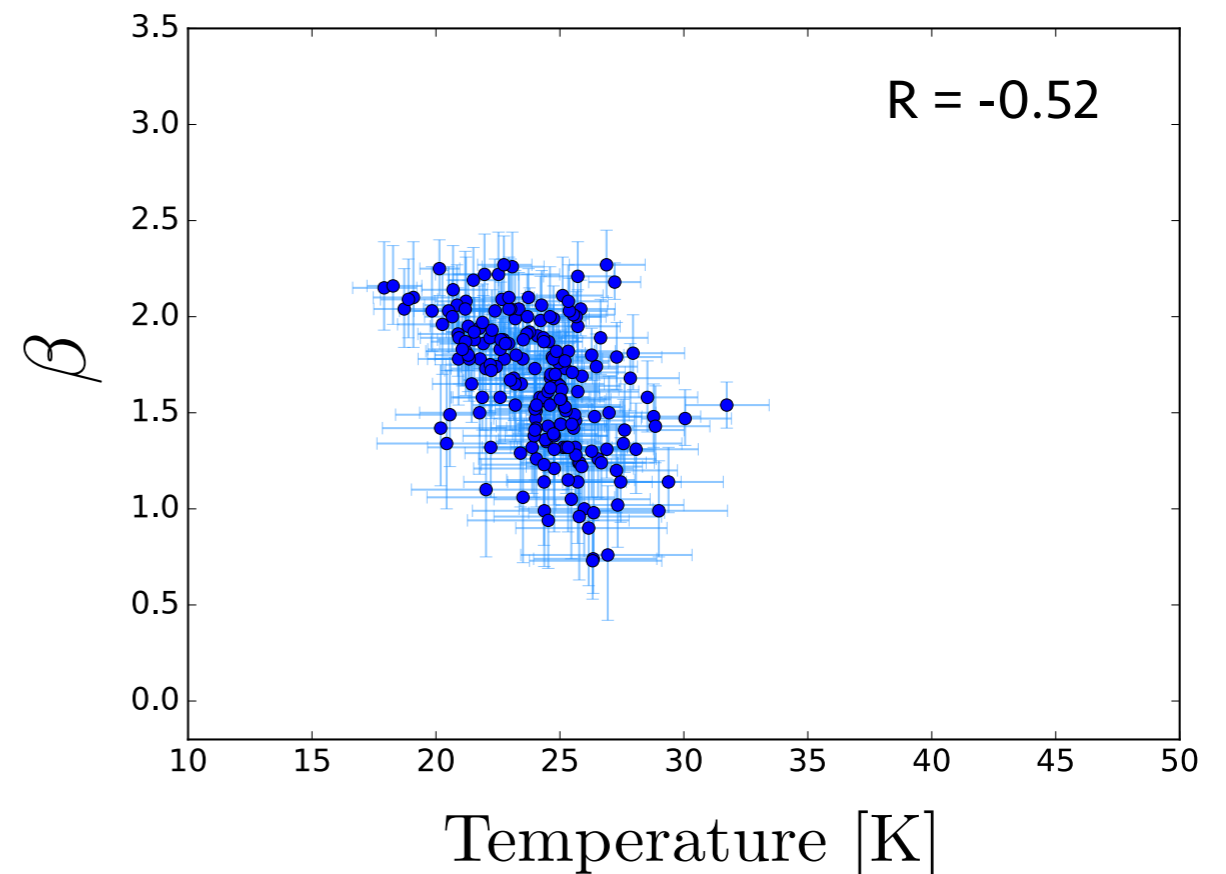


The hierarchical method reduces the T-beta anti-correlation in the JINGLE sample

non-hierarchical

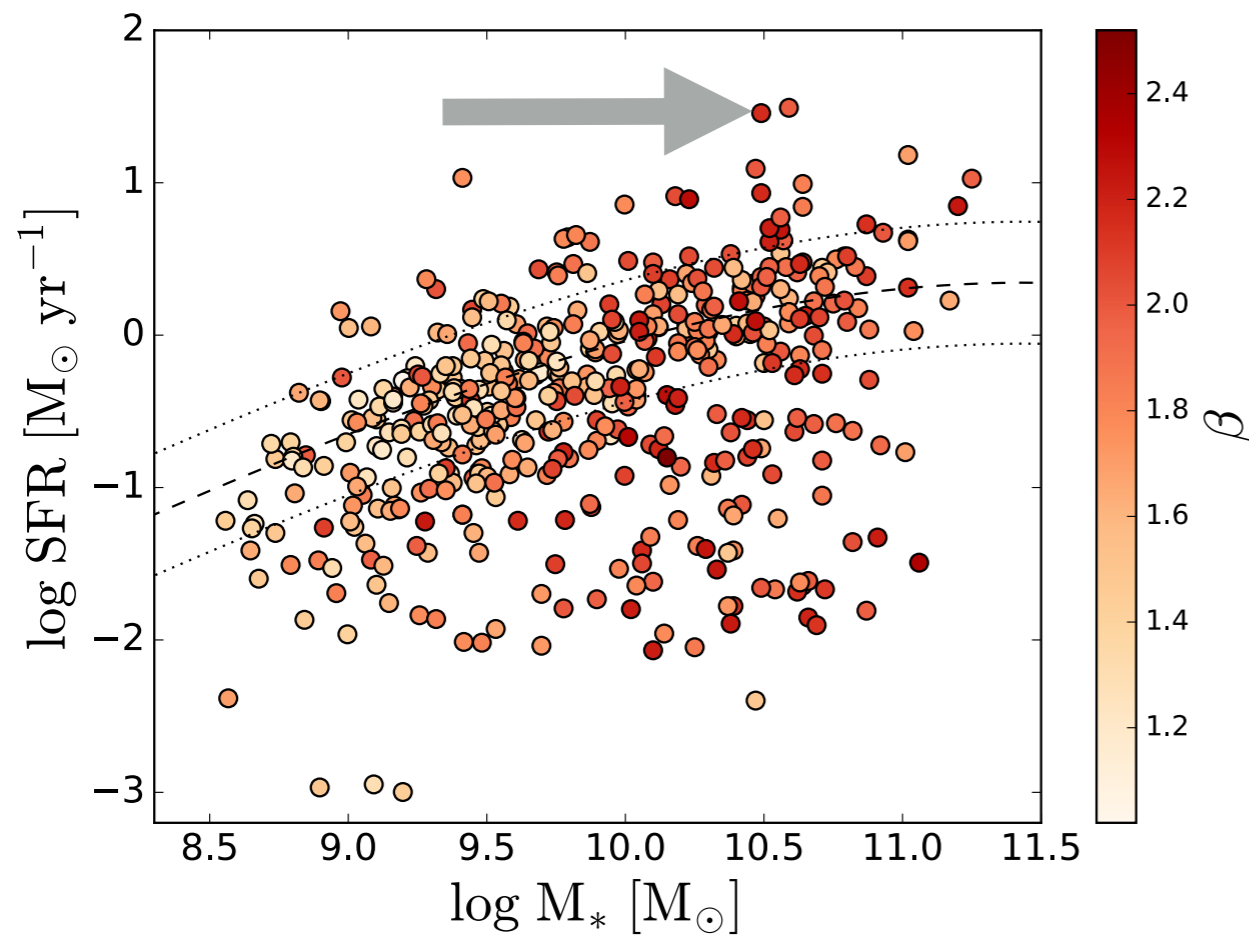


hierarchical

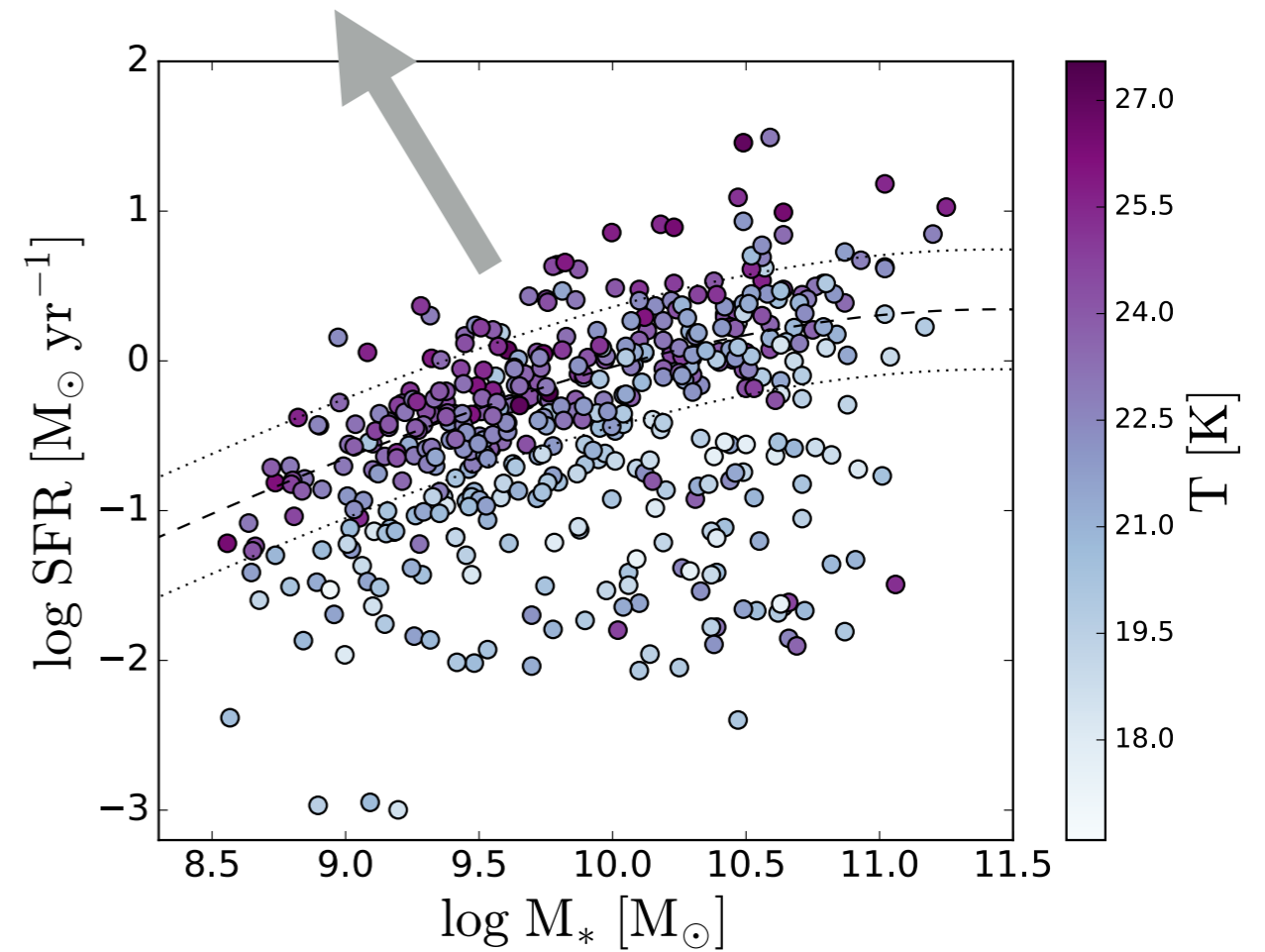


Dust properties on the SFR- M^* plane

dust emissivity index β

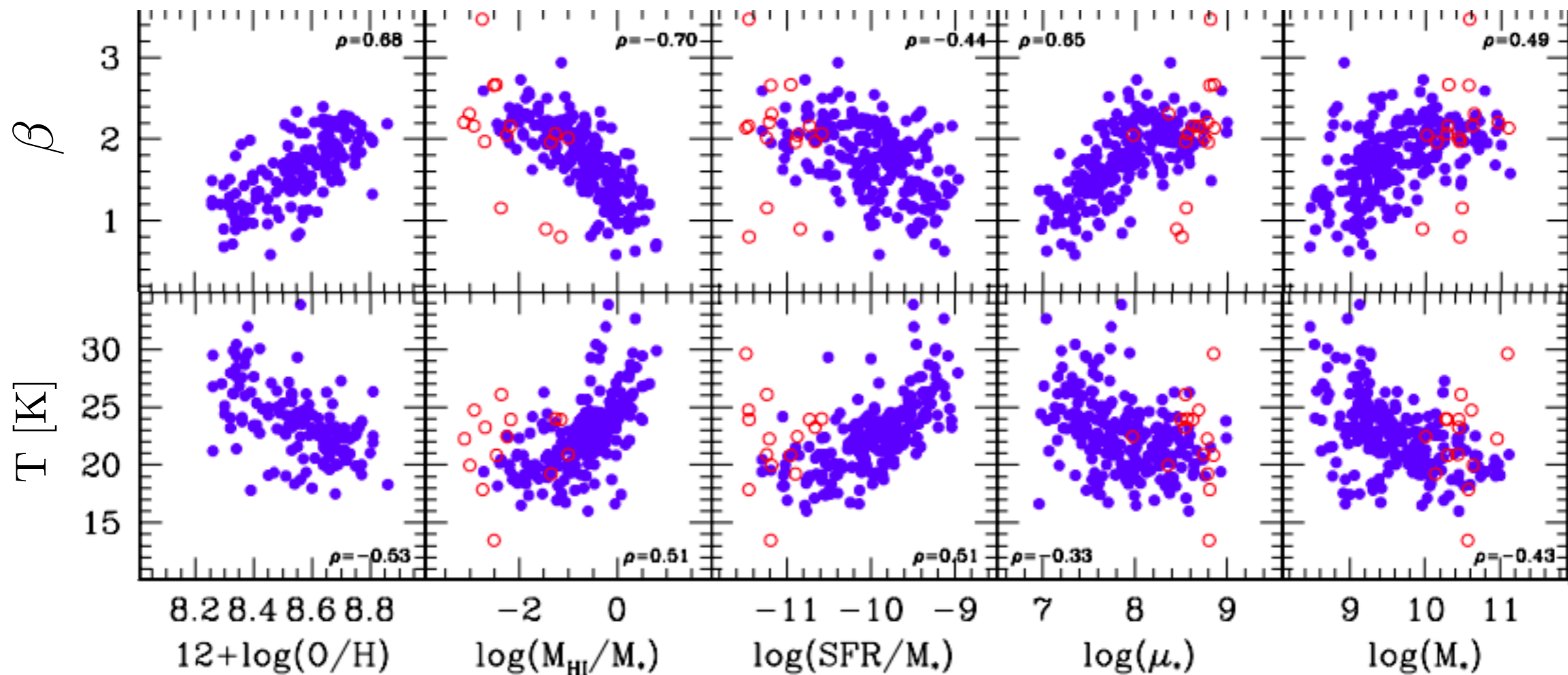


dust temperature



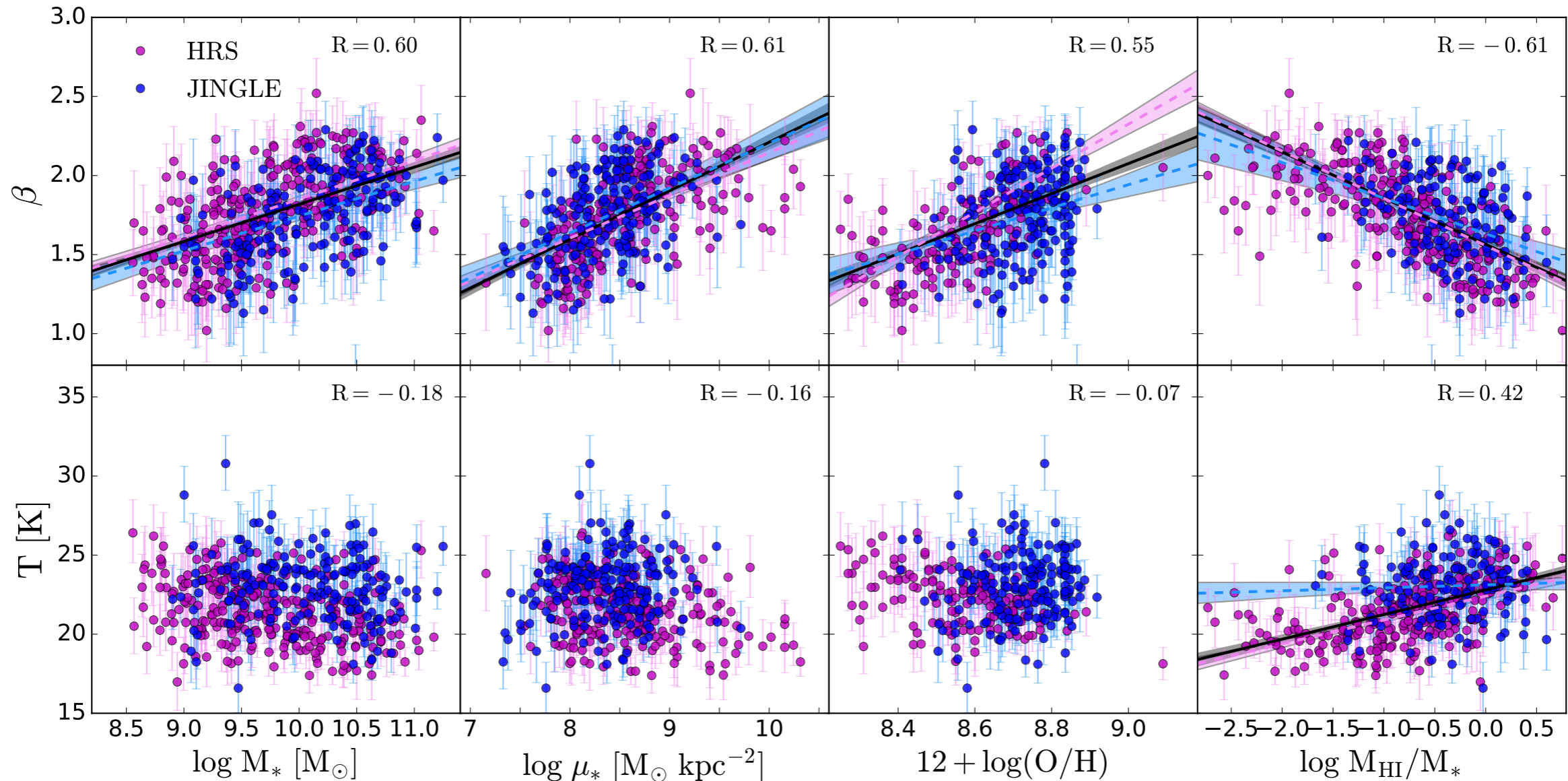
Dust scaling relations:

with the non-hierarchical method it is difficult to distinguish whether T or beta is the fundamental parameter driving the correlation



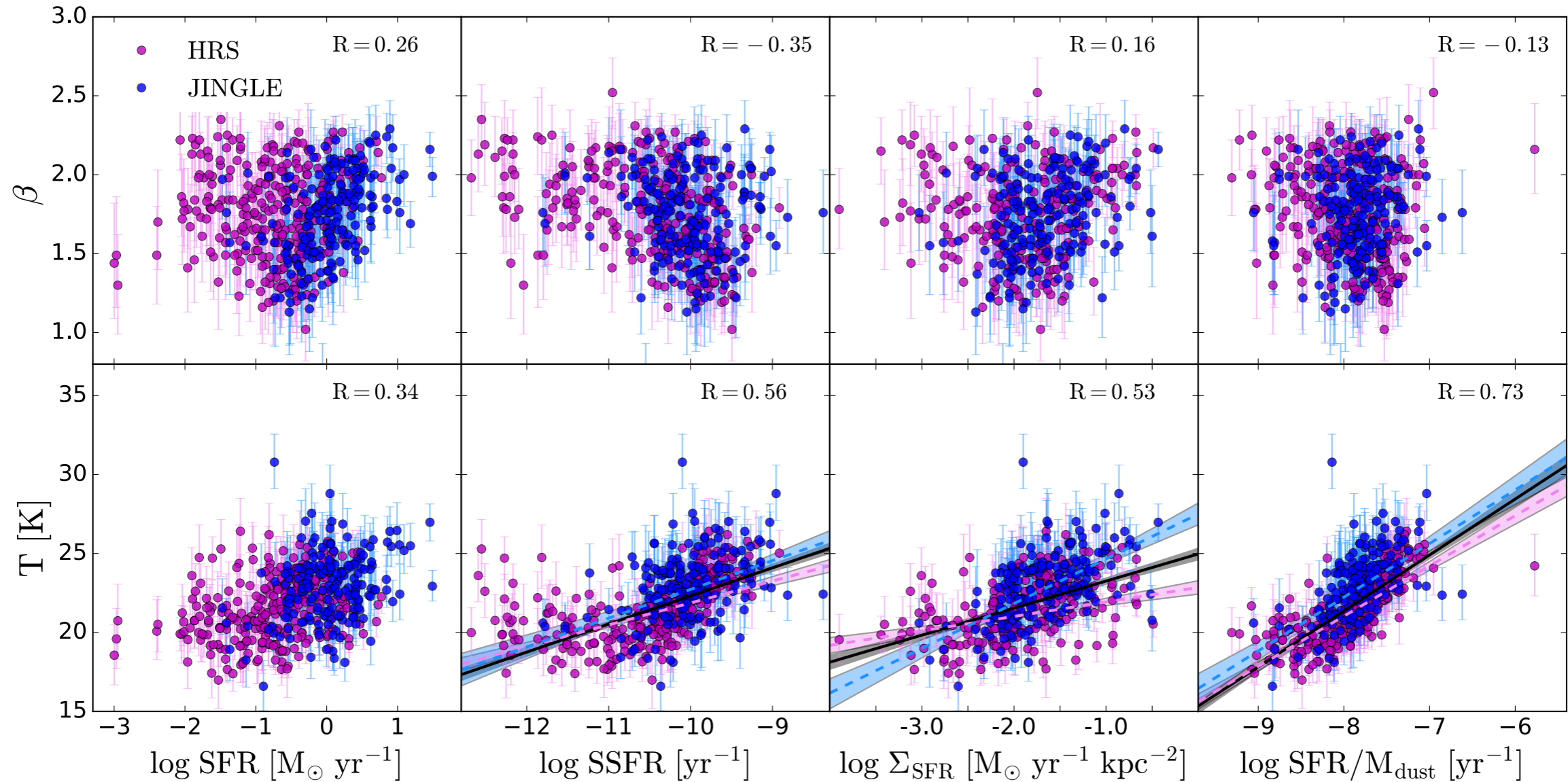
Cortese et al. (2014): data from the Herschel Reference Survey

Hierarchical method helps to disentangle the relation with beta and with temperature



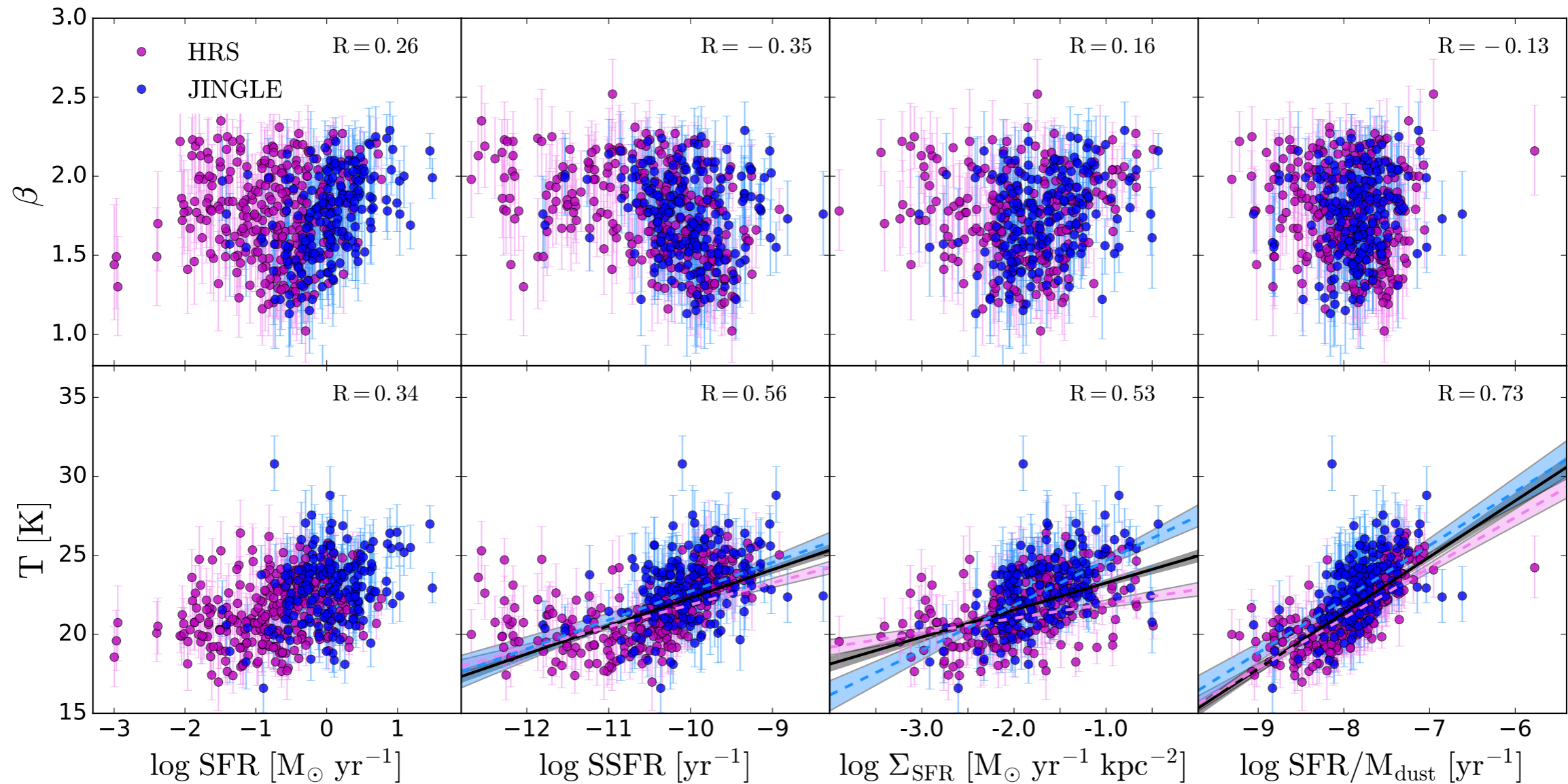
- Emissivity index beta correlates with the stellar mass, metallicity, stellar mass surface density, HI mass fraction

Hierarchical method helps to disentangle the relation with beta and with temperature



- Dust temperature correlates with SFR over dust mass

Hierarchical method helps to disentangle the relation with beta and with temperature

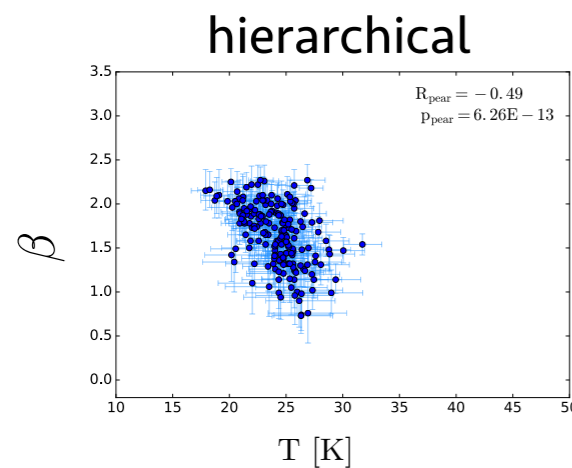
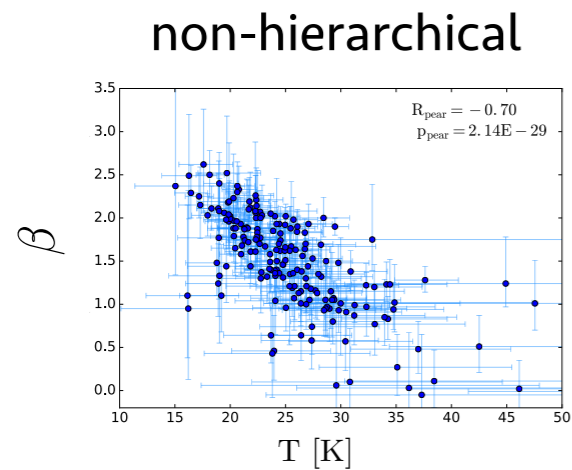


- Dust temperature correlates with SFR over dust mass

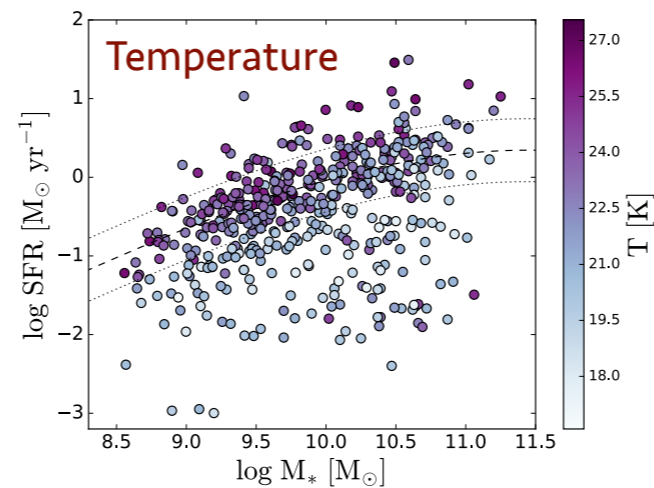
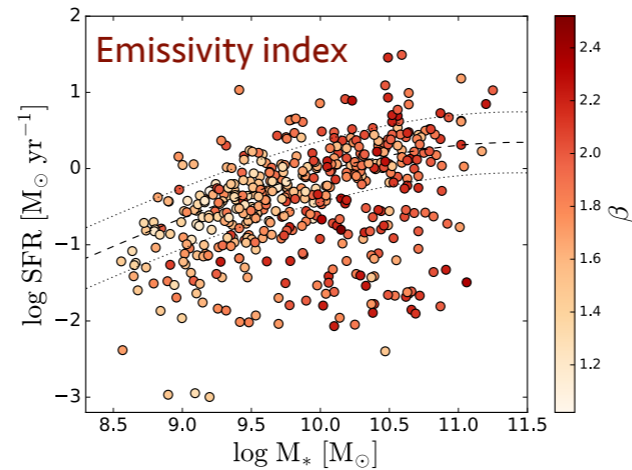
Scaling relations can be used to predict T or β for samples where fewer photometric data are available (e.g. high redshift galaxies, faint galaxies, ...)

Conclusions

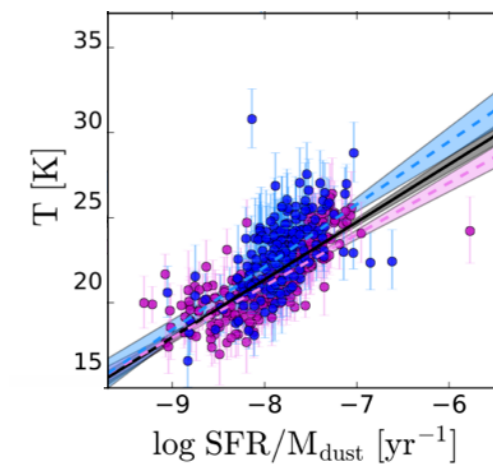
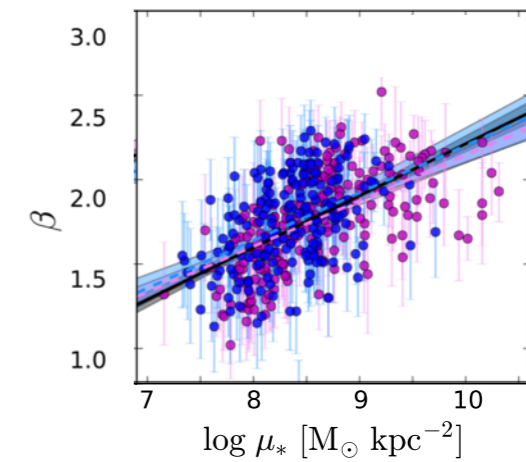
The hierarchical Bayesian approach reduces the **T-beta degeneracy**



Dust properties vary across the SFR- M^* plane

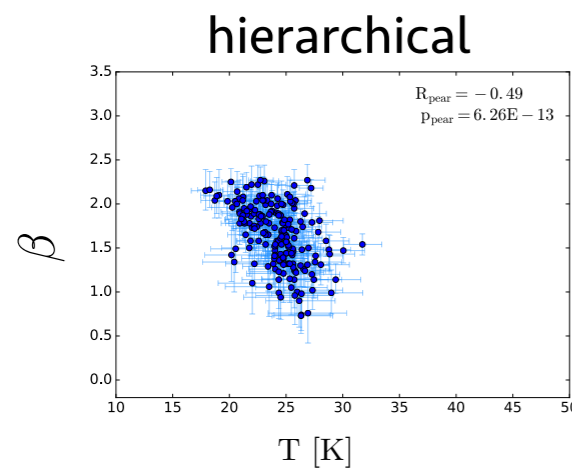
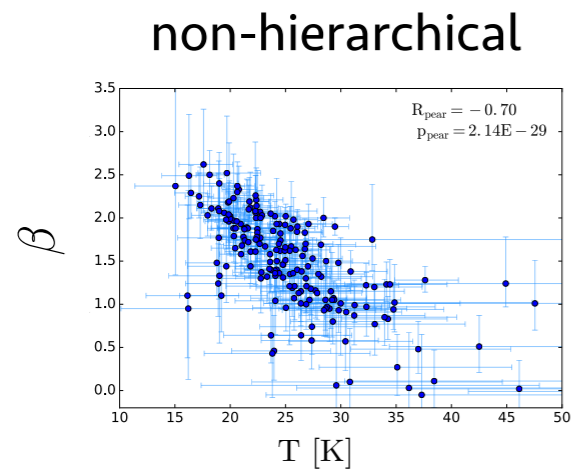


Dust scaling relations can be used to estimate dust temperature and beta from other galaxy properties

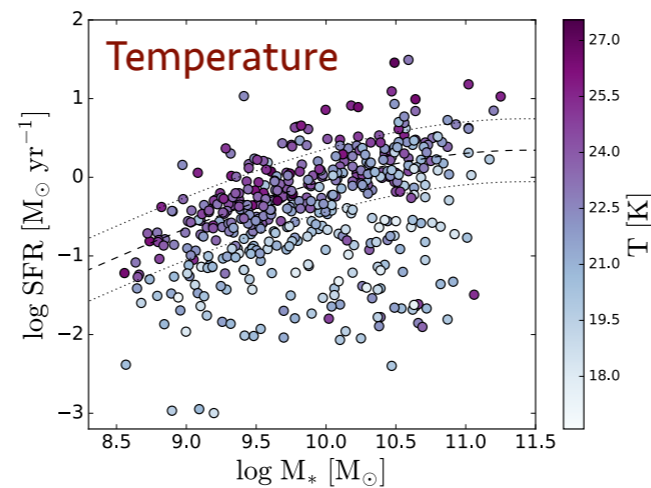
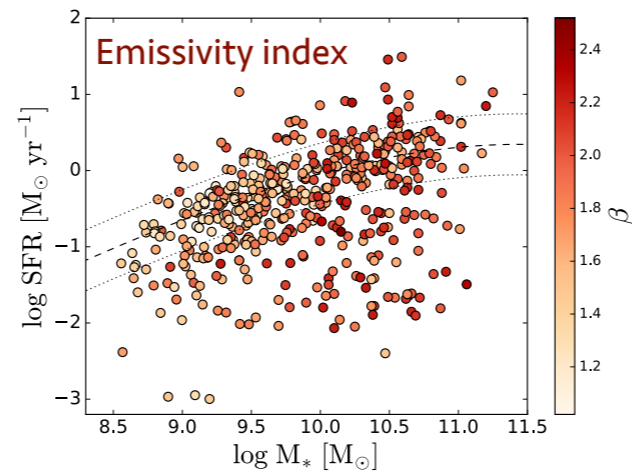


Conclusions

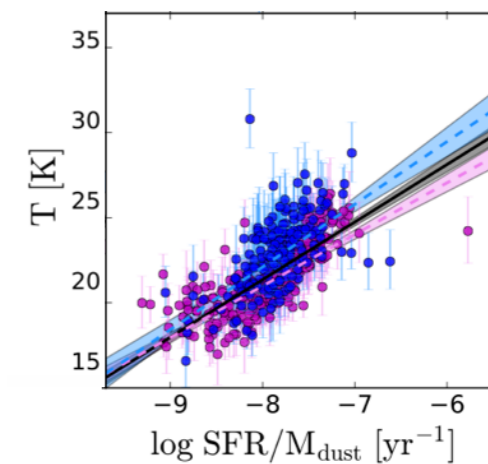
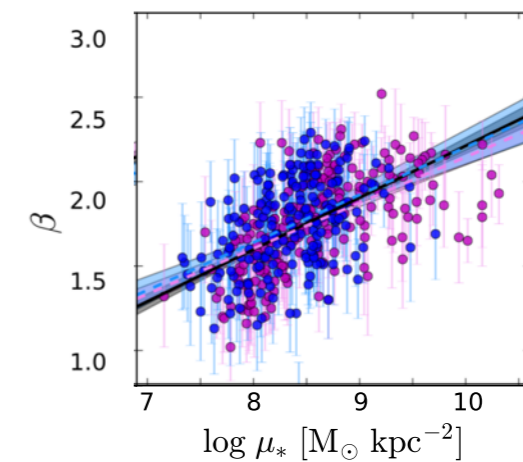
The hierarchical Bayesian approach reduces the **T-beta degeneracy**



Dust properties vary across the SFR- M^* plane



Dust scaling relations can be used to estimate dust temperature and beta from other galaxy properties



Dust scaling relations can be applied to derive dust properties for samples where fewer photometric data are available, for example at higher redshift.

